

Tetragonal

$\bar{4}m2$

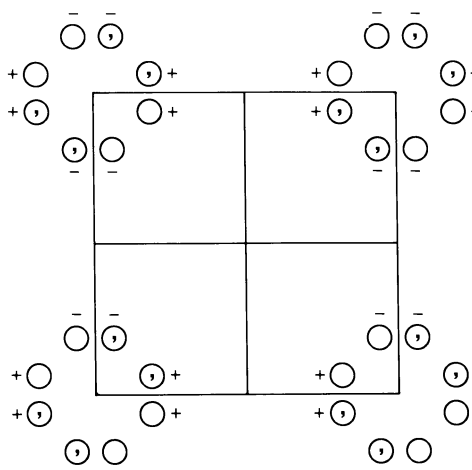
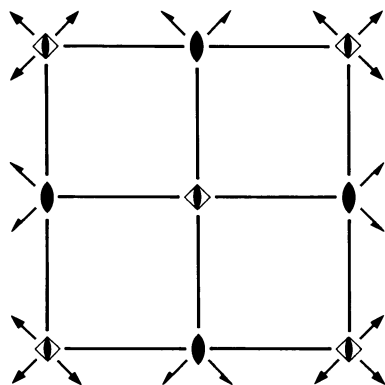
D_{2d}^5

$P\bar{4}m2$

Patterson symmetry $P4/mmm$

$P\bar{4}m2$

No. 115



Origin at $\bar{4}m2$

Asymmetric unit $0 \leq x \leq \frac{1}{2}; 0 \leq y \leq \frac{1}{2}; 0 \leq z \leq \frac{1}{2}$

Symmetry operations

- (1) 1 (2) 2 0,0,z (3) $\bar{4}^+$ 0,0,z; 0,0,0 (4) $\bar{4}^-$ 0,0,z; 0,0,0
 (5) m x,0,z (6) m 0,y,z (7) 2 x,x,0 (8) 2 x, \bar{x} ,0

Generators selected (1); $t(1,0,0)$; $t(0,1,0)$; $t(0,0,1)$; (2); (3); (5)

Positions

Multiplicity, Wyckoff letter, Site symmetry	Coordinates	Reflection conditions
8 <i>l</i> 1	(1) x,y,z (2) \bar{x},\bar{y},z (3) y, \bar{x},\bar{z} (4) \bar{y},x,\bar{z} (5) x, \bar{y},z (6) \bar{x},y,z (7) y,x, \bar{z} (8) \bar{y},\bar{x},\bar{z}	General: no conditions Special:
4 <i>k</i> .m.	$x, \frac{1}{2}, z$ $\bar{x}, \frac{1}{2}, z$ $\frac{1}{2}, \bar{x}, \bar{z}$ $\frac{1}{2}, x, \bar{z}$	no extra conditions
4 <i>j</i> .m.	$x, 0, z$ $\bar{x}, 0, z$ $0, \bar{x}, \bar{z}$ $0, x, \bar{z}$	no extra conditions
4 <i>i</i> ..2	$x, x, \frac{1}{2}$ $\bar{x}, \bar{x}, \frac{1}{2}$ $x, \bar{x}, \frac{1}{2}$ $\bar{x}, x, \frac{1}{2}$	no extra conditions
4 <i>h</i> ..2	$x, x, 0$ $\bar{x}, \bar{x}, 0$ $x, \bar{x}, 0$ $\bar{x}, x, 0$	no extra conditions
2 <i>g</i> 2mm.	$0, \frac{1}{2}, z$ $\frac{1}{2}, 0, \bar{z}$	$hk0: h+k=2n$
2 <i>f</i> 2mm.	$\frac{1}{2}, \frac{1}{2}, z$ $\frac{1}{2}, \frac{1}{2}, \bar{z}$	no extra conditions
2 <i>e</i> 2mm.	$0, 0, z$ $0, 0, \bar{z}$	no extra conditions
1 <i>d</i> $\bar{4}m2$	$0, 0, \frac{1}{2}$	no extra conditions
1 <i>c</i> $\bar{4}m2$	$\frac{1}{2}, \frac{1}{2}, \frac{1}{2}$	no extra conditions
1 <i>b</i> $\bar{4}m2$	$\frac{1}{2}, \frac{1}{2}, 0$	no extra conditions
1 <i>a</i> $\bar{4}m2$	$0, 0, 0$	no extra conditions

Symmetry of special projections

Along [001] $p4mm$
 $\mathbf{a}' = \mathbf{a}$ $\mathbf{b}' = \mathbf{b}$
 Origin at 0,0,z

Along [100] $p1m1$
 $\mathbf{a}' = \mathbf{b}$ $\mathbf{b}' = \mathbf{c}$
 Origin at x,0,0

Along [110] $p2mm$
 $\mathbf{a}' = \frac{1}{2}(-\mathbf{a} + \mathbf{b})$ $\mathbf{b}' = \mathbf{c}$
 Origin at x,x,0