

1.4. SYMMETRY IN RECIPROCAL SPACE

Table A1.4.3.5. *Tetragonal space groups*

The symbols appearing in this table are based on the factorization of the scalar product appearing in equations (1.4.2.19) and (1.4.2.20) into its plane-group and unique-axis components. The symbols are

$$\begin{aligned} P(pq) &= p(2\pi hx)q(2\pi ky) + p(2\pi hy)q(2\pi kx) \\ M(pq) &= p(2\pi hx)q(2\pi ky) - p(2\pi hy)q(2\pi kx), \end{aligned} \tag{A1.4.3.3}$$

where p and q can each be a sine or a cosine.

Explicit trigonometric functions given in the table follow the convention

$$c(u) = \cos(2\pi u) \quad s(u) = \sin(2\pi u).$$

Conditions for vanishing symbols:

$$\begin{aligned} P(ss) = M(ss) &= 0 \text{ if } h = 0 \text{ or } k = 0, \\ P(sc) = M(sc) &= 0 \text{ if } h = 0, \\ P(cs) = M(cs) &= 0 \text{ if } k = 0, \\ M(cc) = M(ss) &= 0 \text{ if } h = k \text{ or } h = -k, \end{aligned}$$

and any explicit sine function vanishes if all the indices (h and k , or l) appearing in its argument are zero.

$P4$ [No. 75]

hkl	A	B
All	$2[P(cc) - M(ss)]c(lz)$	$2[P(cc) - M(ss)]s(lz)$

$P4_1$ [No. 76] (enantiomorphous to $P4_3$ [No. 78])

l	A	B
$4n$	$2[P(cc) - M(ss)]c(lz)$	$2[P(cc) - M(ss)]s(lz)$
$4n + 1$	$-2[s(hx + ky)s(lz) - s(hy - kx)c(lz)]$	$2[s(hx + ky)c(lz) + s(hy - kx)s(lz)]$
$4n + 2$	$2[M(cc) - P(ss)]c(lz)$	$2[M(cc) - P(ss)]s(lz)$
$4n + 3$	$-2[s(hx + ky)s(lz) + s(hy - kx)c(lz)]$	$2[s(hx + ky)c(lz) - s(hy - kx)s(lz)]$

$P4_2$ [No. 77]

l	A	B
$2n$	$2[P(cc) - M(ss)]c(lz)$	$2[P(cc) - M(ss)]s(lz)$
$2n + 1$	$2[M(cc) - P(ss)]c(lz)$	$2[M(cc) - P(ss)]s(lz)$

$P4_3$ [No. 78] (enantiomorphous to $P4_1$ [No. 76])

l	A	B
$4n$	$2[P(cc) - M(ss)]c(lz)$	$2[P(cc) - M(ss)]s(lz)$
$4n + 1$	$-2[s(hx + ky)s(lz) + s(hy - kx)c(lz)]$	$2[s(hx + ky)c(lz) - s(hy - kx)s(lz)]$
$4n + 2$	$2[M(cc) - P(ss)]c(lz)$	$2[M(cc) - P(ss)]s(lz)$
$4n + 3$	$-2[s(hx + ky)s(lz) - s(hy - kx)c(lz)]$	$2[s(hx + ky)c(lz) + s(hy - kx)s(lz)]$

$I4$ [No. 79]

hkl	A	B
All	$4[P(cc) - M(ss)]c(lz)$	$4[P(cc) - M(ss)]s(lz)$

$I4_1$ [No. 80]

$2h + l$	A	B
$4n$	$4[P(cc) - M(ss)]c(lz)$	$4[P(cc) - M(ss)]s(lz)$
$4n + 1$	$4[c(hx + ky)c(lz) + c(hy - kx)s(lz)]$	$4[c(hx + ky)s(lz) - c(hy - kx)c(lz)]$
$4n + 2$	$4[M(cc) - P(ss)]c(lz)$	$4[M(cc) - P(ss)]s(lz)$
$4n + 3$	$4[c(hx + ky)c(lz) - c(hy - kx)s(lz)]$	$4[c(hx + ky)s(lz) + c(hy - kx)c(lz)]$

$P\bar{4}$ [No. 81]

hkl	A	B
All	$2[P(cc) - M(ss)]c(lz)$	$2[M(cc) - P(ss)]s(lz)$

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Table A1.4.3.5 (cont.)

$I\bar{4}$ [No. 82]

hkl	A	B
All	$4[P(cc) - M(ss)]c(lz)$	$4[M(cc) - P(ss)]s(lz)$

$P4/m$ [No. 83]

hkl	A	B
All	$4[P(cc) - M(ss)]c(lz)$	0

$P4_2/m$ [No. 84] ($B = 0$ for all h, k, l)

l	A
$2n$	$4[P(cc) - M(ss)]c(lz)$
$2n + 1$	$4[M(cc) - P(ss)]c(lz)$

$P4/n$ [No. 85, Origin 1]

$h + k$	A	B
$2n$	$4[P(cc) - M(ss)]c(lz)$	0
$2n + 1$	0	$4[M(cc) - P(ss)]s(lz)$

$P4/n$ [No. 85, Origin 2] ($B = 0$ for all h, k, l)

h	k	A
$2n$	$2n$	$4[P(cc) - M(ss)]c(lz)$
$2n$	$2n + 1$	$-4[P(cs) + M(sc)]s(lz)$
$2n + 1$	$2n$	$-4[M(cs) + P(sc)]s(lz)$
$2n + 1$	$2n + 1$	$4[M(cc) - P(ss)]c(lz)$

$P4_2/n$ [No. 86, Origin 1]

$h + k + l$	A	B
$2n$	$4[P(cc) - M(ss)]c(lz)$	0
$2n + 1$	0	$4[M(cc) - P(ss)]s(lz)$

$P4_2/n$ [No. 86, Origin 2] ($B = 0$ for all h, k, l)

$h + k$	$k + l$	$h + l$	A
$2n$	$2n$	$2n$	$4[P(cc) - M(ss)]c(lz)$
$2n$	$2n + 1$	$2n + 1$	$4[M(cc) - P(ss)]c(lz)$
$2n + 1$	$2n + 1$	$2n$	$-4[M(cs) + P(sc)]s(lz)$
$2n + 1$	$2n$	$2n + 1$	$-4[P(cs) + M(sc)]s(lz)$

$I4/m$ [No. 87]

hkl	A	B
All	$8[P(cc) - M(ss)]c(lz)$	0

$I4_1/a$ [No. 88, Origin 1]

$2k + l$	A	B
$4n$	$8[P(cc) - M(ss)]c(lz)$	0
$4n + 1$	$4[P(cc) - M(ss)]c(lz) + [M(cc) - P(ss)]s(lz)$	A
$4n + 2$	0	$8[M(cc) - P(ss)]s(lz)$
$4n + 3$	$4[P(cc) - M(ss)]c(lz) - [M(cc) - P(ss)]s(lz)$	$-A$

$I4_1/a$ [No. 88, Origin 2] ($B = 0$ for all h, k, l)

h	k	$h + k + l$	A
$2n$	$2n$	$4n$	$8[P(cc) - M(ss)]c(lz)$
$2n$	$2n + 1$	$4n$	$-8[s(hx + ky)s(lz) - c(hy - kx)c(lz)]$
$2n + 1$	$2n$	$4n$	$8[c(hx + ky)c(lz) - s(hy - kx)s(lz)]$
$2n + 1$	$2n + 1$	$4n$	$-8[M(cs) + P(sc)]s(lz)$
$2n$	$2n$	$4n + 2$	$8[M(cc) - P(ss)]c(lz)$
$2n$	$2n + 1$	$4n + 2$	$-8[s(hx + ky)s(lz) + c(hy - kx)c(lz)]$
$2n + 1$	$2n$	$4n + 2$	$8[c(hx + ky)c(lz) + s(hy - kx)s(lz)]$
$2n + 1$	$2n + 1$	$4n + 2$	$-8[P(cs) + M(sc)]s(lz)$

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Table A1.4.3.5 (*cont.*)

$P4_{22}$ [No. 89]

hkl	A	B
All	$4P(cc)c(lz)$	$-4M(ss)s(lz)$

$P4_22$ [No. 90]

$h+k$	A	B
$2n$	$4P(cc)c(lz)$	$-4M(ss)s(lz)$
$2n+1$	$-4P(ss)c(lz)$	$4M(cc)s(lz)$

$P4_122$ [No. 91] (enantiomorphous to $P4_322$ [No. 95])

l	A	B
$4n$	$4P(cc)c(lz)$	$-4M(ss)s(lz)$
$4n+1$	$-4[s(hx)c(ky)s(lz) - c(kx)s(hy)c(lz)]$	$4[c(hx)s(ky)c(lz) - s(kx)c(hy)s(lz)]$
$4n+2$	$4M(cc)c(lz)$	$-4P(ss)s(lz)$
$4n+3$	$-4[s(hx)c(ky)s(lz) + c(kx)s(hy)c(lz)]$	$4[c(hx)s(ky)c(lz) + s(kx)c(hy)s(lz)]$

$P4_12_12$ [No. 92] (enantiomorphous to $P4_32_12$ [No. 96])

$2h+2k+l$	A	B
$4n$	$4P(cc)c(lz)$	$-4M(ss)s(lz)$
$4n+1$	$2\{[P(sc) - P(cs)]c(lz) - [M(cs) - M(sc)]s(lz)\}$	$2\{[P(sc) + P(cs)]c(lz) + [M(cs) - M(sc)]s(lz)\}$
$4n+2$	$-4P(ss)c(lz)$	$4M(cc)s(lz)$
$4n+3$	$-2\{[P(sc) - P(cs)]c(lz) + [M(cs) + M(sc)]s(lz)\}$	$2\{[P(sc) + P(cs)]c(lz) - [M(cs) - M(sc)]s(lz)\}$

$P4_22$ [No. 93]

l	A	B
$2n$	$4P(cc)c(lz)$	$-4M(ss)s(lz)$
$2n+1$	$4M(cc)c(lz)$	$-4P(ss)s(lz)$

$P4_22_12$ [No. 94]

$h+k+l$	A	B
$2n$	$4P(cc)c(lz)$	$-4M(ss)s(lz)$
$2n+1$	$-4P(ss)c(lz)$	$4M(cc)s(lz)$

$P4_322$ [No. 95] (enantiomorphous to $P4_122$ [No. 91])

l	A	B
$4n$	$4P(cc)c(lz)$	$-4M(ss)s(lz)$
$4n+1$	$-4[s(hx)c(ky)s(lz) + c(kx)s(hy)c(lz)]$	$4[c(hx)s(ky)c(lz) + s(kx)c(hy)c(lz)]$
$4n+2$	$4M(cc)c(lz)$	$-4P(ss)s(lz)$
$4n+3$	$-4[s(hx)c(ky)s(lz) - c(kx)s(hy)c(lz)]$	$4[c(hx)s(ky)c(lz) - s(kx)c(hy)c(lz)]$

$P4_32_12$ [No. 96] (enantiomorphous to $P4_12_12$ [No. 92])

$2h+2k+l$	A	B
$4n$	$4P(cc)c(lz)$	$-4M(ss)s(lz)$
$4n+1$	$-2\{[P(sc) - P(cs)]c(lz) + [M(cs) + M(sc)]s(lz)\}$	$2\{[P(sc) + P(cs)]c(lz) - [M(cs) - M(sc)]s(lz)\}$
$4n+2$	$-4P(ss)c(lz)$	$4M(cc)s(lz)$
$4n+3$	$2\{[P(sc) - P(cs)]c(lz) - [M(cs) + M(sc)]s(lz)\}$	$2\{[P(sc) + P(cs)]c(lz) + [M(cs) - M(sc)]s(lz)\}$

$I4_{22}$ [No. 97]

hkl	A	B
All	$8P(cc)c(lz)$	$-8M(ss)s(lz)$

$I4_122$ [No. 98]

$2k+l$	A	B
$4n$	$8P(cc)c(lz)$	$-8M(ss)s(lz)$
$4n+1$	$4\{[P(cc) - P(ss)]c(lz) + [M(cc) + M(ss)]s(lz)\}$	$4\{[P(cc) + P(ss)]c(lz) + [M(cc) - M(ss)]s(lz)\}$
$4n+2$	$-8P(ss)c(lz)$	$8M(cc)s(lz)$
$4n+3$	$4\{[P(cc) - P(ss)]c(lz) - [M(cc) + M(ss)]s(lz)\}$	$-4\{[P(cc) + P(ss)]c(lz) - [M(cc) - M(ss)]s(lz)\}$

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Table A1.4.3.5 (cont.)

P4mm [No. 99]

<i>hkl</i>	<i>A</i>	<i>B</i>
All	4P(cc)c(<i>lz</i>)	4P(cc)s(<i>lz</i>)

P4bm [No. 100]

<i>h + k</i>	<i>A</i>	<i>B</i>
<i>2n</i>	4P(cc)c(<i>lz</i>)	4P(cc)s(<i>lz</i>)
<i>2n + 1</i>	-4M(ss)c(<i>lz</i>)	-4M(ss)s(<i>lz</i>)

P4₂cm [No. 101]

<i>l</i>	<i>A</i>	<i>B</i>
<i>2n</i>	4P(cc)c(<i>lz</i>)	4P(cc)s(<i>lz</i>)
<i>2n + 1</i>	-4P(ss)c(<i>lz</i>)	-4P(ss)s(<i>lz</i>)

P4₂nm [No. 102]

<i>h + k + l</i>	<i>A</i>	<i>B</i>
<i>2n</i>	4P(cc)c(<i>lz</i>)	4P(cc)s(<i>lz</i>)
<i>2n + 1</i>	-4P(ss)c(<i>lz</i>)	-4P(ss)s(<i>lz</i>)

P4cc [No. 103]

<i>l</i>	<i>A</i>	<i>B</i>
<i>2n</i>	4P(cc)c(<i>lz</i>)	4P(cc)s(<i>lz</i>)
<i>2n + 1</i>	-4M(ss)c(<i>lz</i>)	-4M(ss)s(<i>lz</i>)

P4nc [No. 104]

<i>h + k + l</i>	<i>A</i>	<i>B</i>
<i>2n</i>	4P(cc)c(<i>lz</i>)	4P(cc)s(<i>lz</i>)
<i>2n + 1</i>	-4M(ss)c(<i>lz</i>)	-4M(ss)s(<i>lz</i>)

P4₂mc [No. 105]

<i>l</i>	<i>A</i>	<i>B</i>
<i>2n</i>	4P(cc)c(<i>lz</i>)	4P(cc)s(<i>lz</i>)
<i>2n + 1</i>	4M(cc)c(<i>lz</i>)	4M(cc)s(<i>lz</i>)

P4₂bc [No. 106]

<i>h + k</i>	<i>l</i>	<i>A</i>	<i>B</i>
<i>2n</i>	<i>2n</i>	4P(cc)c(<i>lz</i>)	4P(cc)s(<i>lz</i>)
<i>2n + 1</i>	<i>2n</i>	-4M(ss)c(<i>lz</i>)	-4M(ss)s(<i>lz</i>)
<i>2n</i>	<i>2n + 1</i>	4M(cc)c(<i>lz</i>)	4M(cc)s(<i>lz</i>)
<i>2n + 1</i>	<i>2n + 1</i>	-4P(ss)c(<i>lz</i>)	-4P(ss)s(<i>lz</i>)

I4mm [No. 107]

<i>hkl</i>	<i>A</i>	<i>B</i>
All	8P(cc)c(<i>lz</i>)	8P(cc)s(<i>lz</i>)

I4cm [No. 108]

<i>l</i>	<i>A</i>	<i>B</i>
<i>2n</i>	8P(cc)c(<i>lz</i>)	8P(cc)s(<i>lz</i>)
<i>2n + 1</i>	-8M(ss)c(<i>lz</i>)	-8M(ss)s(<i>lz</i>)

I4₁md [No. 109]

<i>2k + l</i>	<i>A</i>	<i>B</i>
<i>4n</i>	8P(cc)c(<i>lz</i>)	8P(cc)s(<i>lz</i>)
<i>4n + 1</i>	8[c(<i>hx</i>)c(<i>ky</i>)c(<i>lz</i>) - c(<i>kx</i>)c(<i>hy</i>)s(<i>lz</i>)]	8[c(<i>hx</i>)c(<i>ky</i>)s(<i>lz</i>) + c(<i>kx</i>)c(<i>hy</i>)c(<i>lz</i>)]
<i>4n + 2</i>	8M(cc)c(<i>lz</i>)	8M(cc)s(<i>lz</i>)
<i>4n + 3</i>	8[c(<i>hx</i>)c(<i>ky</i>)c(<i>lz</i>) + c(<i>kx</i>)c(<i>hy</i>)s(<i>lz</i>)]	8[c(<i>hx</i>)c(<i>ky</i>)s(<i>lz</i>) - c(<i>kx</i>)c(<i>hy</i>)c(<i>lz</i>)]

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Table A1.4.3.5 (cont.)

$I4_1cd$ [No. 110]

$2k + l$	A	B
$4n$	$8P(cc)c(lz)$	$8P(cc)s(lz)$
$4n + 1$	$-8[s(hx)s(ky)c(lz) + s(kx)s(hy)s(lz)]$	$-8[s(hx)s(ky)s(lz) - s(kx)s(hy)c(lz)]$
$4n + 2$	$8M(cc)c(lz)$	$8M(cc)s(lz)$
$4n + 3$	$-8[s(hx)s(ky)c(lz) - s(kx)s(hy)s(lz)]$	$-8[s(hx)s(ky)s(lz) + s(kx)s(hy)c(lz)]$

$P\bar{4}2m$ [No. 111]

hkl	A	B
All	$4P(cc)c(lz)$	$-4P(ss)s(lz)$

$P\bar{4}2c$ [No. 112]

l	A	B
$2n$	$4P(cc)c(lz)$	$-4P(ss)s(lz)$
$2n + 1$	$-4M(ss)c(lz)$	$4M(cc)s(lz)$

$P\bar{4}2_1m$ [No. 113]

$h + k$	A	B
$2n$	$4P(cc)c(lz)$	$-4P(ss)s(lz)$
$2n + 1$	$-4M(ss)c(lz)$	$4M(cc)s(lz)$

$P\bar{4}2_1c$ [No. 114]

$h + k + l$	A	B
$2n$	$4P(cc)c(lz)$	$-4P(ss)s(lz)$
$2n + 1$	$-4M(ss)c(lz)$	$4M(cc)s(lz)$

$P\bar{4}m2$ [No. 115]

hkl	A	B
All	$4P(cc)c(lz)$	$4M(cc)s(lz)$

$P\bar{4}c2$ [No. 116]

l	A	B
$2n$	$4P(cc)c(lz)$	$4M(cc)s(lz)$
$2n + 1$	$-4M(ss)c(lz)$	$-4P(ss)s(lz)$

$P\bar{4}b2$ [No. 117]

$h + k$	A	B
$2n$	$4P(cc)c(lz)$	$4M(cc)s(lz)$
$2n + 1$	$-4M(ss)c(lz)$	$-4P(ss)s(lz)$

$P\bar{4}n2$ [No. 118]

$h + k + l$	A	B
$2n$	$4P(cc)c(lz)$	$4M(cc)s(lz)$
$2n + 1$	$-4M(ss)c(lz)$	$-4P(ss)s(lz)$

$I\bar{4}m2$ [No. 119]

hkl	A	B
All	$8P(cc)c(lz)$	$8M(cc)s(lz)$

$I\bar{4}c2$ [No. 120]

l	A	B
$2n$	$8P(cc)c(lz)$	$8M(cc)s(lz)$
$2n + 1$	$-8M(ss)c(lz)$	$-8P(ss)s(lz)$

$I\bar{4}2m$ [No. 121]

hkl	A	B
All	$8P(cc)c(lz)$	$-8P(ss)s(lz)$

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Table A1.4.3.5 (cont.)

$\bar{I}42d$ [No. 122]

$2h + l$	A	B
$4n$	$8P(cc)c(lz)$	$-8P(ss)s(lz)$
$4n + 1$	$4\{[P(cc) - M(ss)]c(lz) - [M(cc) + P(ss)]s(lz)\}$	$-4\{[P(cc) + M(ss)]c(lz) - [M(cc) - P(ss)]s(lz)\}$
$4n + 2$	$-8M(ss)c(lz)$	$8M(cc)s(lz)$
$4n + 3$	$4\{[P(cc) - M(ss)]c(lz) + [M(cc) + P(ss)]s(lz)\}$	$4\{[P(cc) + M(ss)]c(lz) + [M(cc) - P(ss)]s(lz)\}$

$P4/mmm$ [No. 123]

hkl	A	B
All	$8P(cc)c(lz)$	0

$P4/mcc$ [No. 124] ($B = 0$ for all h, k, l)

l	A
$2n$	$8P(cc)c(lz)$
$2n + 1$	$-8M(ss)c(lz)$

$P4/nbm$ [No. 125, Origin 1]

$h + k$	A	B
$2n$	$8P(cc)c(lz)$	0
$2n + 1$	0	$-8M(ss)s(lz)$

$P4/nbm$ [No. 125, Origin 2] ($B = 0$ for all h, k, l)

h	k	A
$2n$	$2n$	$8P(cc)c(lz)$
$2n$	$2n + 1$	$-8M(sc)s(lz)$
$2n + 1$	$2n$	$-8M(cs)s(lz)$
$2n + 1$	$2n + 1$	$-8P(ss)c(lz)$

$P4/nnc$ [No. 126, Origin 1]

$h + k + l$	A	B
$2n$	$8P(cc)c(lz)$	0
$2n + 1$	0	$-8M(ss)s(lz)$

$P4/nnc$ [No. 126, Origin 2] ($B = 0$ for all h, k, l)

h	k	l	A
$2n$	$2n$	$2n$	$8P(cc)c(lz)$
$2n$	$2n$	$2n + 1$	$-8M(ss)c(lz)$
$2n$	$2n + 1$	$2n$	$-8M(sc)s(lz)$
$2n$	$2n + 1$	$2n + 1$	$-8P(cs)s(lz)$
$2n + 1$	$2n$	$2n$	$-8M(cs)s(lz)$
$2n + 1$	$2n$	$2n + 1$	$-8P(sc)s(lz)$
$2n + 1$	$2n + 1$	$2n$	$-8P(ss)c(lz)$
$2n + 1$	$2n + 1$	$2n + 1$	$8M(cc)c(lz)$

$P4/mbm$ [No. 127] ($B = 0$ for all h, k, l)

$h + k$	A
$2n$	$8P(cc)c(lz)$
$2n + 1$	$-8M(ss)c(lz)$

$P4/mnc$ [No. 128] ($B = 0$ for all h, k, l)

$h + k + l$	A
$2n$	$8P(cc)c(lz)$
$2n + 1$	$-8M(ss)c(lz)$

$P4/nmm$ [No. 129, Origin 1]

$h + k$	A	B
$2n$	$8P(cc)c(lz)$	0
$2n + 1$	0	$8M(cc)s(lz)$

1.4. SYMMETRY IN RECIPROCAL SPACE

Table A1.4.3.5 (cont.)

$P4/nmm$ [No. 129, Origin 2] ($B = 0$ for all h, k, l)

h	k	A
$2n$	$2n$	$8P(cc)c(lz)$
$2n$	$2n + 1$	$-8P(cs)s(lz)$
$2n + 1$	$2n$	$-8P(sc)s(lz)$
$2n + 1$	$2n + 1$	$-8P(ss)c(lz)$

$P4/ncc$ [No. 130, Origin 1]

$h + k$	l	A	B
$2n$	$2n$	$8P(cc)c(lz)$	0
$2n$	$2n + 1$	$-8M(ss)c(lz)$	0
$2n + 1$	$2n$	0	$8M(cc)s(lz)$
$2n + 1$	$2n + 1$	0	$-8P(ss)s(lz)$

$P4/ncc$ [No. 130, Origin 2] ($B = 0$ for all h, k, l)

h	k	l	A
$2n$	$2n$	$2n$	$8P(cc)c(lz)$
$2n$	$2n$	$2n + 1$	$-8M(ss)c(lz)$
$2n$	$2n + 1$	$2n$	$-8P(cs)s(lz)$
$2n$	$2n + 1$	$2n + 1$	$-8M(sc)s(lz)$
$2n + 1$	$2n$	$2n$	$-8P(sc)s(lz)$
$2n + 1$	$2n$	$2n + 1$	$-8M(cs)s(lz)$
$2n + 1$	$2n + 1$	$2n$	$-8P(ss)c(lz)$
$2n + 1$	$2n + 1$	$2n + 1$	$8M(cc)c(lz)$

$P4_2/mmc$ [No. 131] ($B = 0$ for all h, k, l)

l	A
$2n$	$8P(cc)c(lz)$
$2n + 1$	$8M(cc)c(lz)$

$P4_2/mcm$ [No. 132] ($B = 0$ for all h, k, l)

l	A
$2n$	$8P(cc)c(lz)$
$2n + 1$	$-8P(ss)c(lz)$

$P4_2/nbc$ [No. 133, Origin 1]

$h + k + l$	l	A	B
$2n$	$2n$	$8P(cc)c(lz)$	0
$2n$	$2n + 1$	$-8M(ss)c(lz)$	0
$2n + 1$	$2n$	0	$-8P(ss)s(lz)$
$2n + 1$	$2n + 1$	0	$8M(cc)s(lz)$

$P4_2/nbc$ [No. 133, Origin 2] ($B = 0$ for all h, k, l)

h	k	l	A
$2n$	$2n$	$2n$	$8P(cc)c(lz)$
$2n$	$2n$	$2n + 1$	$8M(cc)c(lz)$
$2n$	$2n + 1$	$2n$	$-8M(sc)s(lz)$
$2n$	$2n + 1$	$2n + 1$	$-8P(sc)s(lz)$
$2n + 1$	$2n$	$2n$	$-8M(cs)s(lz)$
$2n + 1$	$2n$	$2n + 1$	$-8P(cs)s(lz)$
$2n + 1$	$2n + 1$	$2n$	$-8P(ss)c(lz)$
$2n + 1$	$2n + 1$	$2n + 1$	$-8M(ss)c(lz)$

$P4_2/nmm$ [No. 134, Origin 1]

$h + k + l$	A	B
$2n$	$8P(cc)c(lz)$	0
$2n + 1$	0	$-8P(ss)s(lz)$

1. GENERAL RELATIONSHIPS AND TECHNIQUES

Table A1.4.3.5 (cont.)

$P4_2/nmm$ [No. 134, Origin 2] ($B = 0$ for all h, k, l)

$h + k$	$k + l$	$h + l$	A
$2n$	$2n$	$2n$	$8P(cc)c(lz)$
$2n$	$2n + 1$	$2n + 1$	$-8P(ss)c(lz)$
$2n + 1$	$2n + 1$	$2n$	$-8M(sc)s(lz)$
$2n + 1$	$2n$	$2n + 1$	$-8M(cs)s(lz)$

$P4_2/mbc$ [No. 135] ($B = 0$ for all h, k, l)

$h + k$	l	A
$2n$	$2n$	$8P(cc)c(lz)$
$2n$	$2n + 1$	$8M(cc)c(lz)$
$2n + 1$	$2n$	$-8M(ss)c(lz)$
$2n + 1$	$2n + 1$	$-8P(ss)c(lz)$

$P4_2/mmm$ [No. 136] ($B = 0$ for all h, k, l)

$h + k + l$	A
$2n$	$8P(cc)c(lz)$
$2n + 1$	$-8P(ss)c(lz)$

$P4_2/nmc$ [No. 137, Origin 1]

$h + k + l$	A	B
$2n$	$8P(cc)c(lz)$	0
$2n + 1$	0	$8M(cc)s(lz)$

$P4_2/nmc$ [No. 137, Origin 2] ($B = 0$ for all h, k, l)

h	k	l	A
$2n$	$2n$	$2n$	$8P(cc)c(lz)$
$2n$	$2n$	$2n + 1$	$8M(cc)c(lz)$
$2n$	$2n + 1$	$2n$	$-8P(cs)s(lz)$
$2n$	$2n + 1$	$2n + 1$	$-8M(cs)s(lz)$
$2n + 1$	$2n$	$2n$	$-8P(sc)s(lz)$
$2n + 1$	$2n$	$2n + 1$	$-8M(sc)s(lz)$
$2n + 1$	$2n + 1$	$2n$	$-8P(ss)c(lz)$
$2n + 1$	$2n + 1$	$2n + 1$	$-8M(ss)c(lz)$

$P4_2/ncm$ [No. 138, Origin 1]

$h + k$	l	A	B
$2n$	$2n$	$8P(cc)c(lz)$	0
$2n + 1$	$2n + 1$	$-8M(ss)c(lz)$	0
$2n + 1$	$2n$	0	$8M(cc)s(lz)$
$2n$	$2n + 1$	0	$-8P(ss)s(lz)$

$P4_2/ncm$ [No. 138, Origin 2] ($B = 0$ for all h, k, l)

$h + k$	$k + l$	$h + l$	A
$2n$	$2n$	$2n$	$8P(cc)c(lz)$
$2n$	$2n + 1$	$2n + 1$	$-8P(ss)c(lz)$
$2n + 1$	$2n + 1$	$2n$	$-8P(cs)s(lz)$
$2n + 1$	$2n$	$2n + 1$	$-8P(sc)s(lz)$

$I4/mmm$ [No. 139]

hkl	A	B
All	$16P(cc)c(lz)$	0

$I4/mcm$ [No. 140] ($B = 0$ for all h, k, l)

l	A
$2n$	$16P(cc)c(lz)$
$2n + 1$	$-16M(ss)c(lz)$

1.4. SYMMETRY IN RECIPROCAL SPACE

Table A1.4.3.5 (cont.)

$I4_1/amd$ [No. 141, Origin 1]

$2h + l$	A	B
$4n$	$16P(cc)c(lz)$	0
$4n + 1$	$8[P(cc)c(lz) - M(cc)s(lz)]$	$-A$
$4n + 2$	0	$16M(cc)s(lz)$
$4n + 3$	$8[P(cc)c(lz) + M(cc)s(lz)]$	A

$I4_1/amd$ [No. 141, Origin 2] ($B = 0$ for all h, k, l)

h	k	$h + k + l$	A
$2n$	$2n$	$4n$	$16P(cc)c(lz)$
$2n$	$2n + 1$	$4n$	$-16[c(hx)s(ky)s(lz) + c(kx)c(hy)c(lz)]$
$2n + 1$	$2n$	$4n$	$16[c(hx)c(ky)c(lz) + c(kx)s(hy)s(lz)]$
$2n + 1$	$2n + 1$	$4n$	$-16[c(hx)s(ky)s(lz) + c(kx)s(hy)s(lz)]$
$2n$	$2n$	$4n + 2$	$16M(cc)c(lz)$
$2n$	$2n + 1$	$4n + 2$	$-16[c(hx)s(ky)s(lz) - c(kx)c(hy)c(lz)]$
$2n + 1$	$2n$	$4n + 2$	$16[c(hx)c(ky)c(lz) - c(kx)s(hy)s(lz)]$
$2n + 1$	$2n + 1$	$4n + 2$	$-16[c(hx)s(ky)s(lz) - c(kx)s(hy)s(lz)]$

$I4_1/acd$ [No. 142, Origin 1]

$2h + l$	A	B
$4n$	$16P(cc)c(lz)$	0
$4n + 1$	$-8[M(ss)c(lz) - P(ss)s(lz)]$	$-A$
$4n + 2$	0	$16M(cc)s(lz)$
$4n + 3$	$-8[M(ss)c(lz) + P(ss)s(lz)]$	A

$I4_1/acd$ [No. 142, Origin 2] ($B = 0$ for all h, k, l)

h	k	$h + k + l$	A
$2n$	$2n$	$4n$	$16P(cc)c(lz)$
$2n$	$2n + 1$	$4n$	$-16[s(hx)c(ky)s(lz) + s(kx)s(hy)c(lz)]$
$2n + 1$	$2n$	$4n$	$-16[s(hx)s(ky)c(lz) + s(kx)c(hy)s(lz)]$
$2n + 1$	$2n + 1$	$4n$	$-16[c(hx)s(ky)s(lz) + c(kx)s(hy)s(lz)]$
$2n$	$2n$	$4n + 2$	$16M(cc)c(lz)$
$2n$	$2n + 1$	$4n + 2$	$-16[s(hx)c(ky)s(lz) - s(kx)s(hy)c(lz)]$
$2n + 1$	$2n$	$4n + 2$	$-16[s(hx)s(ky)c(lz) - s(kx)c(hy)s(lz)]$
$2n + 1$	$2n + 1$	$4n + 2$	$-16[c(hx)s(ky)s(lz) - c(kx)s(hy)s(lz)]$