

1. GENERAL RELATIONSHIPS AND TECHNIQUES

Table A1.4.3.6. Trigonal and hexagonal space groups

The table lists the expressions for  $A$  and  $B$  for the space groups belonging to the hexagonal family. For the space groups that are referred to hexagonal axes the expressions are given in terms of symbols related to the decomposition of the scalar products into their plane-group and unique-axis components [cf. equations (1.4.3.10)–(1.4.3.12)]. The symbols for the seven rhombohedral space groups in their rhombohedral-axes representation are the same as those used for the cubic space groups [cf. equations (1.4.3.4) and (1.4.3.5), and the notes at the start of Table A1.4.3.7]. Factors of the forms  $\cos(2\pi x)$  and  $\sin(2\pi x)$  are abbreviated by  $c(x)$  and  $s(x)$ , respectively. All the symbols used in this table are repeated below. Most expressions are given in terms of

$$\begin{aligned} C(hki) &= c(p_1) + c(p_2) + c(p_3), \\ C(khi) &= c(q_1) + c(q_2) + c(q_3) \text{ and} \\ S(hki) &= s(p_1) + s(p_2) + s(p_3), \\ S(khi) &= s(q_1) + s(q_2) + s(q_3), \end{aligned} \tag{A1.4.3.4}$$

where

$$\begin{aligned} p_1 &= hx + ky, \quad p_2 = kx + iy, \quad p_3 = ix + hy, \\ q_1 &= kx + hy, \quad q_2 = hx + iy, \quad q_3 = ix + ky, \end{aligned} \tag{A1.4.3.5}$$

and the abbreviations

$$\begin{aligned} \text{PH}(\text{cc}) &= C(hki) + C(khi), \\ \text{PH}(\text{ss}) &= S(hki) + S(khi), \\ \text{MH}(\text{cc}) &= C(hki) - C(khi) \text{ and} \\ \text{MH}(\text{ss}) &= S(hki) - S(khi). \end{aligned} \tag{A1.4.3.6}$$

In addition, the following abbreviations are employed for some space groups:

$$u_1 = lz, \quad u_2 = lz + \frac{1}{3} \text{ and } u_3 = lz - \frac{1}{3}.$$

Conditions for vanishing symbols:

$$\begin{aligned} S(hki) &= S(khi) = 0 \text{ if } h = k = 0, \\ \text{PH}(\text{ss}) &= 0 \text{ if } h = -k \text{ (or } k = -i \text{ or } i = -h), \\ \text{MH}(\text{cc}) &= 0 \text{ if } |h| = |k| \text{ (or } |k| = |i| \text{ or } |i| = |h|) \end{aligned}$$

and any explicit sine function vanishes if all the indices ( $h$  and  $k$ , or  $l$ ) appearing in its argument are zero.

$P3$  [No. 143]

| $hkl$ | $A$                         | $B$                         |
|-------|-----------------------------|-----------------------------|
| All   | $C(hki)c(lz) - S(hki)s(lz)$ | $C(hki)s(lz) + S(hki)c(lz)$ |

$P3_1$  [No. 144] (enantiomorphous to  $P3_2$  [No. 145])

| $l$      | $A$  | $B$  |
|----------|--|--|
| $3n$     | as for $P3$ [No. 143]                        |  |
| $3n + 1$ | $c(p_1 + u_1) + c(p_2 + u_2) + c(p_3 + u_3)$ | $s(p_1 + u_1) + s(p_2 + u_2) + s(p_3 + u_3)$ |
| $3n + 2$ | $c(p_1 + u_1) + c(p_2 + u_3) + c(p_3 + u_2)$ | $s(p_1 + u_1) + s(p_2 + u_3) + s(p_3 + u_2)$ |

$P3_2$  [No. 145] (enantiomorphous to  $P3_1$  [No. 144])

| $l$      | $A, B$                                  |
|----------|---|
| $3n$     | as for $P3$ [No. 143]                   |
| $3n + 1$ | as for $l = 3n + 2$ in $P3_1$ [No. 144] |
| $3n + 2$ | as for $l = 3n + 1$ in $P3_1$ [No. 144] |

$R3$  [No. 146] (rhombohedral axes)

| $hkl$ | $A$   | $B$   |
|-------|---|---|
| All   | $c(hx + ky + lz) + c(kx + ly + hz) + c(lx + hy + kz)$ | $s(hx + ky + lz) + s(kx + ly + hz) + s(lx + hy + kz)$ |

$R3$  [No. 146] (hexagonal axes)

| $hkl$ | $A$                            | $B$                            |
|-------|--------------------------------|--------------------------------|
| All   | $3[C(hki)c(lz) - S(hki)s(lz)]$ | $3[C(hki)s(lz) + S(hki)c(lz)]$ |

$P\bar{3}$  [No. 147]

| $hkl$ | $A$                            | $B$ |
|-------|--------------------------------|-----|
| All   | $2[C(hki)c(lz) - S(hki)s(lz)]$ | 0   |

## 1.4. SYMMETRY IN RECIPROCAL SPACE

Table A1.4.3.6 (*cont.*)

$R\bar{3}$  [No. 148] (rhombohedral axes)

| $hkl$ | $A$  | $B$ |
|-------|--|-----|
| All   | $2[c(hx + ky + lz) + c(kx + ly + hz) + c(lx + hy + kz)]$ | 0   |

$R\bar{3}$  [No. 148] (hexagonal axes)

| $hkl$ | $A$                            | $B$ |
|-------|--------------------------------|-----|
| All   | $6[C(hki)c(lz) - S(hki)s(lz)]$ | 0   |

$P312$  [No. 149]

| $hkl$ | $A$                         | $B$                         |
|-------|-----------------------------|-----------------------------|
| All   | $PH(cc)c(lz) - PH(ss)s(lz)$ | $MH(cc)s(lz) + MH(ss)c(lz)$ |

$P321$  [No. 150]

| $hkl$ | $A$                         | $B$                         |
|-------|-----------------------------|-----------------------------|
| All   | $PH(cc)c(lz) - MH(ss)s(lz)$ | $PH(ss)c(lz) + MH(cc)s(lz)$ |

$P3_112$  [No. 151] (enantiomorphous to  $P3_212$  [No. 153])

| $l$      | $A$   | $B$   |
|----------|---|---|
| $3n$     | as for $P312$ [No. 149]   |   |
| $3n + 1$ | $c(p_1 + u_1) + c(p_2 + u_2) + c(p_3 + u_3) + c(q_1 + u_2) + c(q_2 + u_3) + c(q_3 + u_1)$ | $s(p_1 + u_1) + s(p_2 + u_2) + s(p_3 + u_3) - s(q_1 + u_2) - s(q_2 + u_3) - s(q_3 + u_1)$ |
| $3n + 2$ | $c(p_1 + u_1) + c(p_2 + u_3) + c(p_3 + u_2) + c(q_1 + u_3) + c(q_2 + u_2) + c(q_3 + u_1)$ | $s(p_1 + u_1) + s(p_2 + u_3) + s(p_3 + u_2) - s(q_1 + u_3) - s(q_2 + u_2) - s(q_3 + u_1)$ |

$P3_121$  [No. 152] (enantiomorphous to  $P3_221$  [No. 154])

| $l$      | $A$   | $B$   |
|----------|---|---|
| $3n$     | as for $P321$ [No. 150]   |   |
| $3n + 1$ | $c(p_1 + u_1) + c(p_2 + u_2) + c(p_3 + u_3) + c(q_1 - u_1) + c(q_2 - u_2) + c(q_3 - u_3)$ | $s(p_1 + u_1) + s(p_2 + u_2) + s(p_3 + u_3) + s(q_1 - u_1) + s(q_2 - u_2) + s(q_3 - u_3)$ |
| $3n + 2$ | $c(p_1 + u_1) + c(p_2 + u_3) + c(p_3 + u_2) + c(q_1 - u_1) + c(q_2 - u_3) + c(q_3 - u_2)$ | $s(p_1 + u_1) + s(p_2 + u_3) + s(p_3 + u_2) + s(q_1 - u_1) + s(q_2 - u_3) + s(q_3 - u_2)$ |

$P3_212$  [No. 153] (enantiomorphous to  $P3_112$  [No. 151])

| $l$      | $A, B$                                    |
|----------|---|
| $3n$     | as for $P312$ [No. 149]                   |
| $3n + 1$ | as for $l = 3n + 2$ in $P3_112$ [No. 151] |
| $3n + 2$ | as for $l = 3n + 1$ in $P3_112$ [No. 151] |

$P3_221$  [No. 154] (enantiomorphous to  $P3_121$  [No. 152])

| $l$      | $A, B$                                    |
|----------|---|
| $3n$     | as for $P321$ [No. 150]                   |
| $3n + 1$ | as for $l = 3n + 2$ in $P3_121$ [No. 152] |
| $3n + 2$ | as for $l = 3n + 1$ in $P3_121$ [No. 152] |

$R32$  [No. 155] (rhombohedral axes)

| $hkl$ | $A$  | $B$   |
|-------|--|---|
| All   | $Eccc - Ecsc - Escs - Essc + Occc - Ocsc - Ocs - Ossc$ | $Esec + Ecsc + Ecsc - Esss - Osec - Ocsc - Occs + Osss$ |

$R32$  [No. 155] (hexagonal axes)

| $hkl$ | $A$                            | $B$                            |
|-------|--------------------------------|--------------------------------|
| All   | $3[PH(cc)c(lz) - MH(ss)s(lz)]$ | $3[PH(ss)c(lz) + MH(cc)s(lz)]$ |

$P3m1$  [No. 156]

| $hkl$ | $A$                         | $B$                         |
|-------|-----------------------------|-----------------------------|
| All   | $PH(cc)c(lz) - MH(ss)s(lz)$ | $PH(cc)s(lz) + MH(ss)c(lz)$ |

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Table A1.4.3.6 (cont.)

*P31m* [No. 157]

| <i>hkl</i> | <i>A</i>                                  | <i>B</i>                                  |
|------------|---|---|
| All        | $\text{PH(cc)c}(lz) - \text{PH(ss)s}(lz)$ | $\text{PH(cc)s}(lz) + \text{PH(ss)c}(lz)$ |

*P3c1* [No. 158]

| <i>l</i> | <i>A</i>                                  | <i>B</i>                                  |
|----------|---|---|
| $2n$     | $\text{PH(cc)c}(lz) - \text{MH(ss)s}(lz)$ | $\text{PH(cc)s}(lz) + \text{MH(ss)c}(lz)$ |
| $2n + 1$ | $\text{MH(cc)c}(lz) - \text{PH(ss)s}(lz)$ | $\text{PH(ss)c}(lz) + \text{MH(cc)s}(lz)$ |

*P31c* [No. 159]

| <i>l</i> | <i>A</i>                                  | <i>B</i>                                  |
|----------|---|---|
| $2n$     | $\text{PH(cc)c}(lz) - \text{PH(ss)s}(lz)$ | $\text{PH(cc)s}(lz) + \text{PH(ss)c}(lz)$ |
| $2n + 1$ | $\text{MH(cc)c}(lz) - \text{MH(ss)s}(lz)$ | $\text{MH(cc)s}(lz) + \text{MH(ss)c}(lz)$ |

*R3m* [No. 160] (rhombohedral axes)

| <i>hkl</i> | <i>A</i>  | <i>B</i>  |
|------------|---|---|
| All        | $\text{Eccc} - \text{Ecss} - \text{Escs} - \text{Essc} + \text{Occc} - \text{Ocsc} - \text{Oscs} - \text{Ossc}$ | $\text{Escc} + \text{Ecsc} + \text{Eccs} - \text{Esss} + \text{Oscs} + \text{Ocsc} + \text{Occs} - \text{Osss}$ |

*R3m* [No. 160] (hexagonal axes)

| <i>hkl</i> | <i>A</i>                                     | <i>B</i>                                     |
|------------|--|--|
| All        | $3[\text{PH(cc)c}(lz) - \text{MH(ss)s}(lz)]$ | $3[\text{PH(cc)s}(lz) + \text{MH(ss)c}(lz)]$ |

*R3c* [No. 161] (rhombohedral axes)

| $h + k + l$ | <i>A</i>  | <i>B</i>  |
|-------------|---|---|
| $2n$        | $\text{Eccc} - \text{Ecss} - \text{Escs} - \text{Essc} + \text{Occc} - \text{Ocsc} - \text{Oscs} - \text{Ossc}$ | $\text{Escc} + \text{Ecsc} + \text{Eccs} - \text{Esss} + \text{Oscs} + \text{Ocsc} + \text{Occs} - \text{Osss}$ |
| $2n + 1$    | $\text{Eccc} - \text{Ecss} - \text{Escs} - \text{Essc} - \text{Occc} + \text{Ocsc} + \text{Oscs} + \text{Ossc}$ | $\text{Escc} + \text{Ecsc} + \text{Eccs} - \text{Esss} - \text{Oscs} - \text{Ocsc} - \text{Occs} + \text{Osss}$ |

*R3c* [No. 161] (hexagonal axes)

| <i>l</i> | <i>A</i>                                     | <i>B</i>                                     |
|----------|--|--|
| $2n$     | $3[\text{PH(cc)c}(lz) - \text{MH(ss)s}(lz)]$ | $3[\text{PH(cc)s}(lz) + \text{MH(ss)c}(lz)]$ |
| $2n + 1$ | $3[\text{MH(cc)c}(lz) - \text{PH(ss)s}(lz)]$ | $3[\text{PH(ss)c}(lz) + \text{MH(cc)s}(lz)]$ |

*P3̄1m* [No. 162] ( $B = 0$  for all  $h, k, l$ )

| <i>A</i>                                     |
|--|
| $2[\text{PH(cc)c}(lz) - \text{PH(ss)s}(lz)]$ |

*P3̄1c* [No. 163] ( $B = 0$  for all  $h, k, l$ )

| <i>l</i> | <i>A</i>                                     |
|----------|--|
| $2n$     | $2[\text{PH(cc)c}(lz) - \text{PH(ss)s}(lz)]$ |
| $2n + 1$ | $2[\text{MH(cc)c}(lz) - \text{MH(ss)s}(lz)]$ |

*P3̄m1* [No. 164] ( $B = 0$  for all  $h, k, l$ )

| <i>A</i>                                     |
|--|
| $2[\text{PH(cc)c}(lz) - \text{MH(ss)s}(lz)]$ |

*P3̄c1* [No. 165] ( $B = 0$  for all  $h, k, l$ )

| <i>l</i> | <i>A</i>                                     |
|----------|--|
| $2n$     | $2[\text{PH(cc)c}(lz) - \text{MH(ss)s}(lz)]$ |
| $2n + 1$ | $2[\text{MH(cc)c}(lz) - \text{PH(ss)s}(lz)]$ |

*R3̄m* [No. 166] (rhombohedral axes,  $B = 0$  for all  $h, k, l$ )

| <i>A</i>   |
|--|
| $2(\text{Eccc} - \text{Ecss} - \text{Escs} - \text{Essc} + \text{Occc} - \text{Ocsc} - \text{Oscs} - \text{Ossc})$ |

## 1.4. SYMMETRY IN RECIPROCAL SPACE

Table A1.4.3.6 (cont.)

$\bar{R}3m$  [No. 166] (hexagonal axes,  $B = 0$  for all  $h, k, l$ )

|  |
|--|
| $A$  |
| $6[\text{PH}(\text{cc})\text{c}(lz) - \text{MH}(\text{ss})\text{s}(lz)]$ |

$\bar{R}3c$  [No. 167] (rhombohedral axes,  $B = 0$  for all  $h, k, l$ )

|             |  |
|-------------|--|
| $h + k + l$ | $A$  |
| $2n$        | $2(\text{Eccc} - \text{Ecss} - \text{Escs} - \text{Essc} + \text{Occc} - \text{Ocsc} - \text{Oscs} - \text{Ossc})$ |
| $2n + 1$    | $2(\text{Eccc} - \text{Ecss} - \text{Escs} - \text{Essc} - \text{Occc} + \text{Ocsc} + \text{Oscs} + \text{Ossc})$ |

$\bar{R}3c$  [No. 167] (hexagonal axes,  $B = 0$  for all  $h, k, l$ )

|          |  |
|----------|--|
| $l$      | $A$  |
| $2n$     | $6[\text{PH}(\text{cc})\text{c}(lz) - \text{MH}(\text{ss})\text{s}(lz)]$ |
| $2n + 1$ | $6[\text{MH}(\text{cc})\text{c}(lz) - \text{PH}(\text{ss})\text{s}(lz)]$ |

$P6$  [No. 168]

|       |                       |                       |
|-------|-----------------------|-----------------------|
| $hkl$ | $A$                   | $B$                   |
| All   | $2C(hki)\text{c}(lz)$ | $2C(hki)\text{s}(lz)$ |

$P6_1$  [No. 169] (enantiomorphous to  $P6_5$  [No. 170])

|          |   |   |
|----------|---|---|
| $l$      | $A$   | $B$   |
| $6n$     | as for $P6$ [No.168]  |   |
| $6n + 1$ | $-2[s(p_1)\text{s}(u_1) + \text{s}(p_2)\text{s}(u_2) + \text{s}(p_3)\text{s}(u_3)]$       | $2[s(p_1)\text{c}(u_1) + \text{s}(p_2)\text{c}(u_2) + \text{s}(p_3)\text{c}(u_3)]$        |
| $6n + 2$ | $2[\text{c}(p_1)\text{c}(u_1) + \text{c}(p_2)\text{c}(u_3) + \text{c}(p_3)\text{c}(u_2)]$ | $2[\text{c}(p_1)\text{s}(u_1) + \text{c}(p_2)\text{s}(u_3) + \text{c}(p_3)\text{s}(u_2)]$ |
| $6n + 3$ | $-2S(hki)\text{s}(lz)$  | $2S(hki)\text{c}(lz)$   |
| $6n + 4$ | $2[\text{c}(p_1)\text{c}(u_1) + \text{c}(p_2)\text{c}(u_2) + \text{c}(p_3)\text{c}(u_3)]$ | $2[\text{c}(p_1)\text{s}(u_1) + \text{c}(p_2)\text{s}(u_2) + \text{c}(p_3)\text{s}(u_3)]$ |
| $6n + 5$ | $-2[s(p_1)\text{s}(u_1) + \text{s}(p_2)\text{s}(u_3) + \text{s}(p_3)\text{s}(u_2)]$       | $2[s(p_1)\text{c}(u_1) + \text{s}(p_2)\text{c}(u_3) + \text{s}(p_3)\text{c}(u_2)]$        |

$P6_5$  [No. 170] (enantiomorphous to  $P6_1$  [No. 169])

|          |   |
|----------|---|
| $l$      | $A, B$                                  |
| $6n$     | as for $P6$ [No. 168]                   |
| $6n + 1$ | as for $l = 6n + 5$ in $P6_1$ [No. 169] |
| $6n + 2$ | as for $l = 6n + 4$ in $P6_1$ [No. 169] |
| $6n + 3$ | as for $l = 6n + 3$ in $P6_1$ [No. 169] |
| $6n + 4$ | as for $l = 6n + 2$ in $P6_1$ [No. 169] |
| $6n + 5$ | as for $l = 6n + 1$ in $P6_1$ [No. 169] |

$P6_2$  [No. 171] (enantiomorphous to  $P6_4$  [No. 172])

|          |   |
|----------|---|
| $l$      | $A, B$                                  |
| $3n$     | as for $P6$ [No. 168]                   |
| $3n + 1$ | as for $l = 6n + 2$ in $P6_1$ [No. 169] |
| $3n + 2$ | as for $l = 6n + 4$ in $P6_1$ [No. 169] |

$P6_4$  [No. 172] (enantiomorphous to  $P6_2$  [No. 171])

|          |   |
|----------|---|
| $l$      | $A, B$                                  |
| $3n$     | as for $P6$ [No. 168]                   |
| $3n + 1$ | as for $l = 6n + 4$ in $P6_1$ [No.169]  |
| $3n + 2$ | as for $l = 6n + 2$ in $P6_1$ [No. 169] |

$P6_3$  [No. 173]

|          |   |
|----------|---|
| $l$      | $A, B$                                  |
| $2n$     | as for $P6$ [No. 168]                   |
| $2n + 1$ | as for $l = 6n + 3$ in $P6_1$ [No. 169] |

$\bar{P}6$  [No. 174]

|       |                       |                       |
|-------|-----------------------|-----------------------|
| $hkl$ | $A$                   | $B$                   |
| All   | $2C(hki)\text{c}(lz)$ | $2S(hki)\text{c}(lz)$ |

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Table A1.4.3.6 (cont.)

*P6/m* [No. 175]

| <i>hkl</i> | <i>A</i>       | <i>B</i> |
|------------|----------------|----------|
| All        | $4C(hki)c(lz)$ | 0        |

*P6<sub>3</sub>/m* [No. 176]

| <i>l</i> | <i>A</i>        | <i>B</i> |
|----------|-----------------|----------|
| $2n$     | $4C(hki)c(lz)$  | 0        |
| $2n + 1$ | $-4S(hki)s(lz)$ | 0        |

*P622* [No. 177]

| <i>hkl</i> | <i>A</i>       | <i>B</i>       |
|------------|----------------|----------------|
| All        | $2PH(cc)c(lz)$ | $2MH(cc)s(lz)$ |

*P6<sub>1</sub>22* [No. 178] (enantiomorphous to *P6<sub>3</sub>22* [No. 179])

| <i>l</i> | <i>A</i>  | <i>B</i>   |
|----------|---|--|
| $6n$     | as for <i>P622</i> [No. 177]  |  |
| $6n + 1$ | $-2[s(p_1)s(u_1) + s(p_2)s(u_2) + s(p_3)s(u_3) - s(q_1)s(u_3) - s(q_2)s(u_1) - s(q_3)s(u_2)]$ | $2[s(p_1)c(u_1) + s(p_2)c(u_2) + s(p_3)c(u_3) + s(q_1)c(u_3) + s(q_2)c(u_1) + s(q_3)c(u_2)]$ |
| $6n + 2$ | $2[c(p_1)c(u_1) + c(p_2)c(u_2) + c(p_3)c(u_3) + c(q_1)c(u_2) + c(q_2)c(u_1) + c(q_3)c(u_3)]$  | $2[c(p_1)s(u_1) + c(p_2)s(u_2) + c(p_3)s(u_3) - c(q_1)s(u_2) - c(q_2)s(u_1) - c(q_3)s(u_3)]$ |
| $6n + 3$ | $-2MH(ss)s(lz)$   | $2PH(ss)c(lz)$   |
| $6n + 4$ | $2[c(p_1)c(u_1) + c(p_2)c(u_2) + c(p_3)c(u_3) + c(q_1)c(u_3) + c(q_2)c(u_1) + c(q_3)c(u_2)]$  | $2[c(p_1)s(u_1) + c(p_2)s(u_2) + c(p_3)s(u_3) - c(q_1)s(u_3) - c(q_2)s(u_1) - c(q_3)s(u_2)]$ |
| $6n + 5$ | $-2[s(p_1)s(u_1) + s(p_2)s(u_2) + s(p_3)s(u_3) - s(q_1)s(u_2) - s(q_2)s(u_1) - s(q_3)s(u_3)]$ | $2[s(p_1)c(u_1) + s(p_2)c(u_2) + s(p_3)c(u_3) + s(q_1)c(u_2) + s(q_2)c(u_1) + s(q_3)c(u_3)]$ |

*P6<sub>3</sub>22* [No. 179] (enantiomorphous to *P6<sub>1</sub>22* [No. 178])

| <i>l</i> | <i>A, B</i>  |
|----------|--|
| $6n$     | as for <i>P622</i> [No. 177]                             |
| $6n + 1$ | as for $l = 6n + 5$ in <i>P6<sub>1</sub>22</i> [No. 178] |
| $6n + 2$ | as for $l = 6n + 4$ in <i>P6<sub>1</sub>22</i> [No. 178] |
| $6n + 3$ | as for $l = 6n + 3$ in <i>P6<sub>1</sub>22</i> [No. 178] |
| $6n + 4$ | as for $l = 6n + 2$ in <i>P6<sub>1</sub>22</i> [No. 178] |
| $6n + 5$ | as for $l = 6n + 1$ in <i>P6<sub>1</sub>22</i> [No. 178] |

*P6<sub>2</sub>22* [No. 180] (enantiomorphous to *P6<sub>4</sub>22* [No. 181])

| <i>l</i> | <i>A, B</i>  |
|----------|--|
| $n$      | as for <i>P622</i> [No. 177]                             |
| $3n + 1$ | as for $l = 6n + 2$ in <i>P6<sub>1</sub>22</i> [No. 178] |
| $3n + 2$ | as for $l = 6n + 4$ in <i>P6<sub>1</sub>22</i> [No. 178] |

*P6<sub>3</sub>22* [No. 181] (enantiomorphous to *P6<sub>2</sub>22* [No. 180])

| <i>l</i> | <i>A, B</i>  |
|----------|--|
| $3n$     | as for <i>P622</i> [No. 177]                             |
| $3n + 1$ | as for $l = 6n + 4$ in <i>P6<sub>1</sub>22</i> [No. 178] |
| $3n + 2$ | as for $l = 6n + 2$ in <i>P6<sub>1</sub>22</i> [No. 178] |

*P6<sub>3</sub>22* [No. 182]

| <i>l</i> | <i>A, B</i>  |
|----------|--|
| $2n$     | as for <i>P622</i> [No. 177]                             |
| $2n + 1$ | as for $l = 6n + 3$ in <i>P6<sub>1</sub>22</i> [No. 178] |

*P6mm* [No. 183]

| <i>hkl</i> | <i>A</i>       | <i>B</i>       |
|------------|----------------|----------------|
| All        | $2PH(cc)c(lz)$ | $2PH(cc)s(lz)$ |

## 1.4. SYMMETRY IN RECIPROCAL SPACE

Table A1.4.3.6 (*cont.*)

$P6_{cc}$  [No. 184]

| $l$      | $A$            | $B$            |
|----------|----------------|----------------|
| $2n$     | $2PH(cc)c(lz)$ | $2PH(cc)s(lz)$ |
| $2n + 1$ | $2MH(cc)c(lz)$ | $2MH(cc)s(lz)$ |

$P6_3cm$  [No. 185]

| $l$      | $A$             | $B$            |
|----------|-----------------|----------------|
| $2n$     | $2PH(cc)c(lz)$  | $2PH(cc)s(lz)$ |
| $2n + 1$ | $-2PH(ss)s(lz)$ | $2PH(ss)c(lz)$ |

$P6_3mc$  [No. 186]

| $l$      | $A$             | $B$            |
|----------|-----------------|----------------|
| $2n$     | $2PH(cc)c(lz)$  | $2PH(cc)s(lz)$ |
| $2n + 1$ | $-2MH(ss)s(lz)$ | $2MH(ss)c(lz)$ |

$P\bar{6}m2$  [No. 187]

| $hkl$ | $A$            | $B$            |
|-------|----------------|----------------|
| All   | $2PH(cc)c(lz)$ | $2MH(ss)c(lz)$ |

$P\bar{6}c2$  [No. 188]

| $l$      | $A$             | $B$            |
|----------|-----------------|----------------|
| $2n$     | $2PH(cc)c(lz)$  | $2MH(ss)c(lz)$ |
| $2n + 1$ | $-2PH(ss)s(lz)$ | $2MH(cc)s(lz)$ |

$P\bar{6}2m$  [No. 189]

| $hkl$ | $A$            | $B$            |
|-------|----------------|----------------|
| All   | $2PH(cc)c(lz)$ | $2PH(ss)c(lz)$ |

$P\bar{6}2c$  [No. 190]

| $l$      | $A$             | $B$            |
|----------|-----------------|----------------|
| $2n$     | $2PH(cc)c(lz)$  | $2PH(ss)c(lz)$ |
| $2n + 1$ | $-2MH(ss)s(lz)$ | $2MH(cc)s(lz)$ |

$P6/mmm$  [No. 191]

| $hkl$ | $A$            | $B$ |
|-------|----------------|-----|
| All   | $4PH(cc)c(lz)$ | 0   |

$P6/mcc$  [No. 192] ( $B = 0$  for all  $h, k, l$ )

| $l$      | $A$            |
|----------|----------------|
| $2n$     | $4PH(cc)c(lz)$ |
| $2n + 1$ | $4MH(cc)c(lz)$ |

$P6_3/mcm$  [No. 193] ( $B = 0$  for all  $h, k, l$ )

| $l$      | $A$             |
|----------|-----------------|
| $2n$     | $4PH(cc)c(lz)$  |
| $2n + 1$ | $-4PH(ss)s(lz)$ |

$P6_3/mmc$  [No. 194] ( $B = 0$  for all  $h, k, l$ )

| $l$      | $A$             |
|----------|-----------------|
| $2n$     | $4PH(cc)c(lz)$  |
| $2n + 1$ | $-4MH(ss)s(lz)$ |