

Orthorhombic

6. SCANNING TABLES

Laue class $D_{2h} - mmm$ No. 43 $Fdd2$

$$\mathcal{G} = Fdd2$$

 C_{2v}^{19}

Orientation orbit (<i>hkl</i>)	Conventional basis of the scanning group a' b' d	Scanning group \mathcal{H}	Linear orbit sd	Sectional layer group $\mathcal{L}(\mathbf{sd})$	
(001)	a b c	$Fdd2$	$[\mathbf{sd}, (s + \frac{1}{4})\mathbf{d}, (s + \frac{1}{2})\mathbf{d}, (s + \frac{3}{4})\mathbf{d}]$	$\widehat{p}112$	L03
(100)	b c a	$Fd2d$	$[0\mathbf{d}, \frac{1}{2}\mathbf{d}, \frac{1}{4}\mathbf{d}, \frac{3}{4}\mathbf{d}]$ $[\frac{1}{8}\mathbf{d}, \frac{5}{8}\mathbf{d}, \frac{3}{8}\mathbf{d}, \frac{7}{8}\mathbf{d}]$ $[\pm\mathbf{sd}, (\pm s + \frac{1}{4})\mathbf{d}, (\pm s + \frac{1}{2})\mathbf{d}, (\pm s + \frac{3}{4})\mathbf{d}]$	$c121$ $c121 (\mathbf{a}'/4)$ $\widehat{p}11b$ $\widehat{p}11a$ $p1$	L10 L10 L09 L09 L01
(010)	c a b	$F2dd$	$[0\mathbf{d}, \frac{1}{2}\mathbf{d}, \frac{1}{4}\mathbf{d}, \frac{3}{4}\mathbf{d}]$ $[\frac{1}{8}\mathbf{d}, \frac{5}{8}\mathbf{d}, \frac{3}{8}\mathbf{d}, \frac{7}{8}\mathbf{d}]$ $[\pm\mathbf{sd}, (\pm s + \frac{1}{4})\mathbf{d}, (\pm s + \frac{1}{2})\mathbf{d}, (\pm s + \frac{3}{4})\mathbf{d}]$	$c211$ $c211 (\mathbf{b}'/4)$ $\widehat{p}11b$ $\widehat{p}11a$ $p1$	L10 L10 L09 L09 L01

No. 44 $Imm2$

$$\mathcal{G} = Imm2$$

 C_{2v}^{20}

Orientation orbit (<i>hkl</i>)	Conventional basis of the scanning group a' b' d	Scanning group \mathcal{H}	Linear orbit sd	Sectional layer group $\mathcal{L}(\mathbf{sd})$	
(001)	a b c	$Imm2$	$[\mathbf{sd}, (s + \frac{1}{2})\mathbf{d}]$	$pmm2$	L23
(100)	b c a	$Im2m$	$[0\mathbf{d}, \frac{1}{2}\mathbf{d}, \frac{1}{4}\mathbf{d}, \frac{3}{4}\mathbf{d}]$ $[\pm\mathbf{sd}, (\pm s + \frac{1}{2})\mathbf{d}]$	$pm2m$ $pm2_1n$ $pm11$	L27 L32 L11
(010)	c a b	$I2mm$	$[0\mathbf{d}, \frac{1}{2}\mathbf{d}, \frac{1}{4}\mathbf{d}, \frac{3}{4}\mathbf{d}]$ $[\pm\mathbf{sd}, (\pm s + \frac{1}{2})\mathbf{d}]$	$p2mm$ $p2_1mn$ $p1m1$	L27 L32 L11

No. 45 $Iba2$

$$\mathcal{G} = Iba2$$

 C_{2v}^{21}

Orientation orbit (<i>hkl</i>)	Conventional basis of the scanning group a' b' d	Scanning group \mathcal{H}	Linear orbit sd	Sectional layer group $\mathcal{L}(\mathbf{sd})$	
(001)	a b c	$Iba2$	$[\mathbf{sd}, (s + \frac{1}{2})\mathbf{d}]$	$pba2$	L25
(100)	b c a	$Ic2a$	$[0\mathbf{d}, \frac{1}{2}\mathbf{d}, \frac{1}{4}\mathbf{d}, \frac{3}{4}\mathbf{d}]$ $[\pm\mathbf{sd}, (\pm s + \frac{1}{2})\mathbf{d}]$	$pb2b$ $pb2_1a (\mathbf{a}'/4)$ $pb11$	L30 L33 L12
(010)	c a b	$I2cb$	$[0\mathbf{d}, \frac{1}{2}\mathbf{d}, \frac{1}{4}\mathbf{d}, \frac{3}{4}\mathbf{d}]$ $[\pm\mathbf{sd}, (\pm s + \frac{1}{2})\mathbf{d}]$	$p2aa$ $p2_1ab (\mathbf{b}'/4)$ $p1a1$	L30 L33 L12

Centring type F

Orientation orbit (hkl)	Conventional basis of the scanning group			Auxiliary basis of the scanning group		
	\mathbf{a}'	\mathbf{b}'	\mathbf{d}	$\hat{\mathbf{a}}$	$\hat{\mathbf{b}}$	$\hat{\mathbf{c}}$
$(hk0)$	\mathbf{c}	$n\hat{\mathbf{a}} - m\hat{\mathbf{b}}$	$p\hat{\mathbf{a}} + q\hat{\mathbf{b}}$	$(\mathbf{a} - \mathbf{b})/2$	$(\mathbf{a} + \mathbf{b})/2$	\mathbf{c}
$(\bar{h}k0)$	\mathbf{c}	$n\hat{\mathbf{a}} + m\hat{\mathbf{b}}$	$-p\hat{\mathbf{a}} + q\hat{\mathbf{b}}$			
$(0hk)$	\mathbf{a}	$n\hat{\mathbf{a}} - m\hat{\mathbf{b}}$	$p\hat{\mathbf{a}} + q\hat{\mathbf{b}}$	$(\mathbf{b} - \mathbf{c})/2$	$(\mathbf{b} + \mathbf{c})/2$	\mathbf{a}
$(0\bar{h}k)$	\mathbf{a}	$n\hat{\mathbf{a}} + m\hat{\mathbf{b}}$	$-p\hat{\mathbf{a}} + q\hat{\mathbf{b}}$			
$(k0h)$	\mathbf{b}	$n\hat{\mathbf{a}} - m\hat{\mathbf{b}}$	$p\hat{\mathbf{a}} + q\hat{\mathbf{b}}$	$(\mathbf{c} - \mathbf{a})/2$	$(\mathbf{c} + \mathbf{a})/2$	\mathbf{b}
$(k0\bar{h})$	\mathbf{b}	$n\hat{\mathbf{a}} + m\hat{\mathbf{b}}$	$-p\hat{\mathbf{a}} + q\hat{\mathbf{b}}$			

h even, k odd or h odd, k even $\Rightarrow n = h + k, m = h - k$
 h, k odd $\Rightarrow n = (h + k)/2, m = (h - k)/2$

Arithmetic classes $222F, mm2F$ and $mmmF$

Serial No. Group type Group	22 D_2^7 $F222$	42 C_{2v}^{18} $Fmm2$	43 C_{2v}^{19} $Fdd2$	69 D_{2h}^{23} $Fmmm$	70 D_{2h}^{24} $Fddd$	
					Origin 1	Origin 2
$(hk0)$	$I112$	$I112$	$I112$	$I112/m$	$I112/b$	$I112/b$
$(\bar{h}k0)$						
$(0hk)$		$I11m$	$I11b$			
$(0\bar{h}k)$						
$(k0h)$						
$(k0\bar{h})$						